

exerts a horizontal stress =  $4w$ , (two thirds of the weight borne,) upon the two first sections of the Lower Chord. The steep tension oblique adds two thirds of weight borne, making  $5.76w$  for the next section, while the two succeeding diagonals toward the centre, adding  $1\frac{1}{3} \times$  weights borne successively, (under a full load of the truss, of course,) give  $8.42w$  and  $10.19w$ , for tension of second and first sections from centre respectively. Then, adding & doubling, and multiplying by length of section, we obtain, material for lower chord =  $43.16m$ .

Add to this the amount for diagonal system, as above found, and we have—whole amount of Tension material for truss =  $84.18m$ , =  $50.5M$ .

The maximum weights sustained by obliques, & by them transferred to the 7 Thrust Verticals, being in the aggregate =  $6.62w$ , the length being unity, need only the substitution of  $m$ , to express the required material for said Verticals; which reduced to terms of  $M$ , equals  $3.97M$ .

The first & second sections of the Upper Chord, obviously sustain the same action respectively, as the fourth & fifth of the lower chord, while the 4 middle sections of the former, receive the additional action of diagonals  $3 \setminus 5 / 7$ , (upper figures,) under full load. Hence, we cipher up, material for Upper Chord =  $32.6M$ .

The End Braces, sustaining  $9(w + w')$ , =  $12w$ , with a length whose square is 1.44, obviously re-