



Let the weight on the half span be supposed concentrated at the centre of gravity G .

$B C$ = one-fourth span =	37½ feet.
$C G$ = $\frac{3}{4} P S$ (nearly) =	16 "
$A G$ = $\sqrt{A C^2 + C G^2}$ = $\sqrt{112^2 + 16^2}$ =	113 "
$G d$ = $\frac{1}{4} A G$ =	28½ "
$f g$ = $\frac{15}{16} P S$ - $\frac{3}{8} P S$ = $\frac{9}{16} P S$ (nearly) =	12 "
$g h$ = $2 f g$ =	24 "

The weight concentrated at G , is supposed to be 160,000 pounds.

The resultant in the direction $G A$, will be $\frac{W \times G d}{G C} =$
 $\frac{160,000 \times 28\frac{1}{2}}{16} = 282,500$ pounds.

This force with its equal at A , produces an upward action upon the arch at f , which may be supposed to be resisted by the application of a force at this point.

The required force at f , can be determined from the proportion: $G g : g f :: 282,500 : \text{half required force} =$

$$\frac{282,500 \times 24}{56} = 121,070 \text{ pounds.}$$

This is the whole amount of force which is exerted upon the arches of both trusses, and which must be resisted by the counter-bracing. The estimate is only an approximation, but it is considerably on the side of safety; for it is impossible that the weight should ever be concentrated at any point G , and the effect of the portion upon $P G$ is to assist in keeping down the arch. It is not necessary for practical purposes to make an exact mathematical calculation of this strain: it is sufficient to obtain a near approximation, with the assurance that all errors are on the side of stability. From these considerations, it appears that the upward force upon the arch by the